

To show that  $H$  is a group under the operation of  $G$ , I need to show that it

1. is non-empty
2. is closed under the group operation of  $G$
3. is associative under the group operation of  $G$
4. has an identity
5. satisfies that every element in  $H$  has an inverse *also in*  $H$ .

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